

- | | |
|-------------------------|--|
| 1. Record Nr. | UNISOBE600200007128 |
| Autore | Ohly, Friedrich |
| Titolo | Geometria e memoria : Lettera e allegoria nel Medioevo / Friedrich Ohly ; cur. Lea Ritter Santini |
| Pubbl/distr/stampa | Bologna : IL MULino, 1985 |
| Descrizione fisica | 366 p. ; 23 cm |
| Collana | Collezione di testi e di studi |
| Lingua di pubblicazione | Italiano |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| 2. Record Nr. | UNINA9910826961003321 |
| Autore | Przytycki Feliks |
| Titolo | Geometric pressure for multimodal maps of the interval // Feliks Przytycki, Juan Rivera-Letelier |
| Pubbl/distr/stampa | Providence, Rhode Island : , : American Mathematical Society, , [2019] ©2019 |
| ISBN | 1-4704-5247-2 |
| Descrizione fisica | 1 online resource (v, 81 pages) |
| Collana | Memoirs of the American Mathematical Society ; ; Volume 259, Number 1246 |
| Classificazione | 37E0537D2537D35 |
| Disciplina | 514.742 |
| Soggetti | Conformal geometry
Mappings (Mathematics)
Riemann surfaces |
| Lingua di pubblicazione | Inglese |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| Nota di bibliografia | Includes bibliographical references. |
| Sommario/riassunto | "This memoir is an interval dynamics counterpart of three theories founded earlier by the authors, S. Smirnov and others in the setting of |

the iteration of rational maps on the Riemann sphere: the equivalence of several notions of non-uniform hyperbolicity, Geometric Pressure, and Nice Inducing Schemes methods leading to results in thermodynamical formalism. We work in a setting of generalized multimodal maps, that is smooth maps f of a finite union of compact intervals I in \mathbb{R} into \mathbb{R} with non-flat critical points, such that on its maximal forward invariant set K the map f is topologically transitive and has positive topological entropy. We prove that several notions of non-uniform hyperbolicity of $f|_K$ are equivalent (including uniform hyperbolicity on periodic orbits, TCE & all periodic orbits in K hyperbolic repelling, Lyapunov hyperbolicity, and exponential shrinking of pullbacks). We prove that several definitions of geometric pressure $P(t)$, that is pressure for the map $f|_K$ and the potential $-t \log |f'|$, give the same value (including pressure on periodic orbits, "tree" pressure, variational pressures and conformal pressure). Finally we prove that, provided all periodic orbits in K are hyperbolic repelling, the function $P(t)$ is real analytic for t between the "condensation" and "freezing" parameters and that for each such t there exists unique equilibrium (and conformal) measure satisfying strong statistical properties"--
