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Sommario/riassunto	Combining geometrical and microlocal tools, this monograph gives detailed proofs of many well/ill-posed results related to the Cauchy problem for differential operators with non-effectively hyperbolic double characteristics. Previously scattered over numerous different publications, the results are presented from the viewpoint that the Hamilton map and the geometry of bicharacteristics completely characterizes the well/ill-posedness of the Cauchy problem. A doubly characteristic point of a differential operator P of order m (i.e. one where $P_m = dP_m = 0$) is effectively hyperbolic if the Hamilton map FP_m has real non-zero eigenvalues. When the characteristics are at most double and every double characteristic is effectively hyperbolic, the Cauchy problem for P can be solved for arbitrary lower order terms. If there is a non-effectively hyperbolic characteristic, solvability requires the

subprincipal symbol of P to lie between $P_{\text{æj}}$ and $P_{\text{æj}}$, where $i\text{æj}$ are the positive imaginary eigenvalues of FP_m . Moreover, if 0 is an eigenvalue of FP_m with corresponding 4×4 Jordan block, the spectral structure of FP_m is insufficient to determine whether the Cauchy problem is well-posed and the behavior of bicharacteristics near the doubly characteristic manifold plays a crucial role
