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	Autore	Wosnik, Bernhard
	Titolo	Untersuchungen zur Geschichte Sullas : inaugural-Dissertation ... / vorgelegt von Bernhard Wosnik
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2.	Record Nr.	UNINA9911022457703321
	Autore	Lanzara Flavia
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	Altri autori (Persone)	MaziaV. G SchmidtGunther
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	Nota di contenuto	Chapter 1. Introduction -- Chapter 2. Quasi-interpolation -- Chapter

3. Approximation of integral operators -- Chapter 4. Some other cubature problems -- Chapter 5. Approximate solution of non-stationary problems -- Chapter 6. Integral operators over hyper-rectangular domains.

Sommario/riassunto

This book introduces a new fast high-order method for approximating volume potentials and other integral operators with singular kernel. These operators arise naturally in many fields, including physics, chemistry, biology, and financial mathematics. A major impediment to solving real world problems is the so-called curse of dimensionality, where the cubature of these operators requires a computational complexity that grows exponentially in the physical dimension. The development of separated representations has overcome this curse, enabling the treatment of higher-dimensional numerical problems. The method of approximate approximations discussed here provides high-order semi-analytic cubature formulas for many important integral operators of mathematical physics. By using products of Gaussians and special polynomials as basis functions, the action of the integral operators can be written as one-dimensional integrals with a separable integrand. The approximation of a separated representation of the density combined with a suitable quadrature of the one-dimensional integrals leads to a separated approximation of the integral operator. This method is also effective in high-dimensional cases. The book is intended for graduate students and researchers interested in applied approximation theory and numerical methods for solving problems of mathematical physics.
