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Nota di contenuto	Orderings of vector spaces Duality of cones in locally convex spaces Order unit and base norm spaces Minimal decompositions in base normed spaces Simplex spaces Representation of Banach lattices Order ideals in ordered Banach spaces Order bounded operators and central measures Ordered normed tensor products Positive linear maps of Cu*-algebras Axiomatics of preparing and measuring procedures The structure of ordered Banach spaces in axiomatic quantum mechanics Measuring and preparing processes Models of the measuring process and of macro-theories The centre of a physical system Operations and effects in the Hilbert space formulation of quantum theory The empirical logic approach to the physical sciences The structure of quantum mechanics: Suggestions for a unified physics Irreversibility and dynamical maps of statistical operators The inner orthogonality of convex sets in axiomatic quantum mechanics Reduced dynamics in quantum mechanics The quantum mechanical Hilbert space formalism and the quantum mechanical probability space of the outcomes of measurements Mean ergodic semigroups and invariant ideals in ordered Banach spaces The representation of classical systems in quantum mechanics Extended Hilbert space formulation of Dirac's bra and ket formalism and its applications to abstract stationary

1.

scattering theory Projections on orthomodular lattices The Šilov
boundary of a convex cone A Radon-nikodym-theorem for
operators with an application to spectral theory.