1. | Record Nr. | UNINA990004184440403321 |
   |---|---|
   | Titolo | Macbeth : William Shakespeare / edited by Alan Sinfield |
   | Pubbl/distr/stampa | London : Macmillan, 1992 |
   | ISBN | 0-333-54443-9 |
   | Descrizione fisica | 172 p. ; 22 cm |
   | Collana | New casebooks |
   | Disciplina | 822.33 |
   | Locazione | FLFBC |
   | Collocazione | 822.33 SHAK/S 69 |
   | Lingua di pubblicazione | Inglese |
   | Formato | Materiale a stampa |
   | Livello bibliografico | Monografia |

2. | Record Nr. | UNISA996466595503316 |
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   | Autore | Panciskin A. A (Aleksej Alekseevic) |
   | Titolo | Non-archimedean L-functions of Siegel and Hilbert modular forms / / Alexey A. Panchishkin |
   | Pubbl/distr/stampa | Berlin ; ; Heidelberg : , : Springer-Verlag GmbH, , 1991 |
   | ISBN | 3-662-21541-1 |
   | Edizione | [1st ed. 1991.] |
   | Descrizione fisica | 1 online resource (VII, 161 p.) |
   | Collana | Lecture notes in mathematics ; ; 1471 |
   | Disciplina | 512.73 |
   | Soggetti | L-functions |
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   | | Hilbert modular surfaces |
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   | Formato | Materiale a stampa |
   | Livello bibliografico | Monografia |
   | Note generali | Bibliographic Level Mode of Issuance: Monograph |
   | Nota di bibliografia | Includes bibliographical references and index. |
   | Nota di contenuto | Content -- Acknowledgement -- 1. Non-Archimedean analytic functions, measures and distributions -- 2. Siegel modular forms and |

the holomorphic projection operator -- 3. Non-Archimedean standard zeta functions of Siegel modular forms -- 4. Non-Archimedean convolutions of Hilbert modular forms -- References.

Sommario/riassunto	This book is devoted to the arithmetical theory of Siegel modular forms and their L-functions. The central object are L-functions of classical Siegel modular forms whose special values are studied using the Rankin-Selberg method and the action of certain differential operators on modular forms which have nice arithmetical properties. A new method of p-adic interpolation of these critical values is presented. An important class of p-adic L-functions treated in the present book are p-adic L-functions of Siegel modular forms having logarithmic growth (which were first introduced by Amice, Velu and Vishik in the elliptic modular case when they come from a good super singular reduction of elliptic curves and abelian varieties). The given construction of these p-adic L-functions uses precise algebraic properties of the arithmetical Shimura differential operator. The book could be very useful for postgraduate students and for non-experts giving a quick access to a rapidly developing domain of algebraic number theory: the arithmetical theory of L-functions and modular forms.