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| Titolo | Painlevé III: A Case Study in the Geometry of Meromorphic Connections [[electronic resource] /] / by Martin A. Guest, Claus Hertling |
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| ISBN | 3-319-66526-X |
| Edizione | [1st ed. 2017.] |
| Descrizione fisica | 1 online resource (XII, 204 p. 12 illus.) |
| Collana | Lecture Notes in Mathematics, , 0075-8434 ; ; 2198 |
| Disciplina | 515.352 |
| Soggetti | Differential equations Algebraic geometry Special functions Functions of complex variables Ordinary Differential Equations Algebraic Geometry Special Functions Functions of a Complex Variable |
| Lingua di pubblicazione | Inglese |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| Nota di bibliografia | Includes bibliographical references and index. |
| Nota di contenuto | 1. Introduction -- 2.- The Riemann-Hilbert correspondence for P3D6 bundles -- 3. (Ir)Reducibility -- 4. Isomonodromic families -- 5. Useful formulae: three 2×2 matrices -- 6. P3D6-TEP bundles -- 7. P3D6-TEJPA bundles and moduli spaces of their monodromy tuples -- 8. Normal forms of P3D6-TEJPA bundles and their moduli spaces -- 9. Generalities on the Painlevé equations -- 10. Solutions of the Painlevé equation PIII (0, 0, 4, 4) -- 13. Comparison with the setting of Its, Novokshenov, and Niles -- 12. Asymptotics of all solutions near 0 -- ...Bibliography. Index. |
| Sommario/riassunto | The purpose of this monograph is two-fold: it introduces a conceptual language for the geometrical objects underlying Painlevé equations, and it offers new results on a particular Painlevé III equation of type PIII (D6), called PIII (0, 0, 4, 4), describing its relation to isomonodromic families of vector bundles on P^1 with meromorphic connections. This equation is equivalent to the radial sine (or sinh) |

Gordon equation and, as such, it appears widely in geometry and physics. It is used here as a very concrete and classical illustration of the modern theory of vector bundles with meromorphic connections. Complex multi-valued solutions on \mathbb{C}^* are the natural context for most of the monograph, but in the last four chapters real solutions on $\mathbb{R}^>0$ (with or without singularities) are addressed. These provide examples of variations of TERP structures, which are related to tt geometry and harmonic bundles. As an application, a new global picture of \mathbb{C}^* is given.
