

1. Record Nr.	UNISA996386019803316
Autore	Paravicino Pietro
Titolo	The true idioma of the Italian tongue [[electronic resource]] : wherein is contained many choice sentences and dialogues in Italian and English : also delightful dialects and apophthegms taken out of a famous author : and other necessary things mentioned in the table ... // published by P.P., an Italian, and teacher of the Italian tongue .
Pubbl/distr/stampa	London, : Printed by E.C. and are to be sold by H. Seile ... N. Brook ... and Peter Dring ..., 1660
Descrizione fisica	[8], 304, [24] p
Altri autori (Persone)	GuicciardiniLodovico <1521-1589.>
Soggetti	Italian language Aphorisms and apothegms Proverbs
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	Written by P. Paravicino. Cf. BM. "Never printed before" Reproduction of original in Trinity College Library, Cambridge, England. "Hore de ricreatione del Signor Guicciardini": p. 156-200.
Sommario/riassunto	eebo-0120

2. Record Nr.	UNINA9910438138203321
Autore	Berger Laurent
Titolo	Elliptic Curves, Hilbert Modular Forms and Galois Deformations // by Laurent Berger, Gebhard Böckle, Lassina Dembélé, Mladen Dimitrov, Tim Dokchitser, John Voight
Pubbl/distr/stampa	Basel : , : Springer Basel : , : Imprint : Birkhäuser, , 2013
ISBN	3-0348-0618-3
Edizione	[1st ed. 2013.]
Descrizione fisica	1 online resource (XII, 249 p. 11 illus., 2 illus. in color.)
Collana	Advanced Courses in Mathematics - CRM Barcelona, , 2297-0312
Disciplina	512/.32
Soggetti	Number theory Geometry, Algebraic Algebra Number Theory Algebraic Geometry
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	Bibliographic Level Mode of Issuance: Monograph
Nota di bibliografia	Includes bibliographical references.
Nota di contenuto	Part I: Galois Deformations -- On p-adic Galois Representations -- Deformations of Galois Representations -- Part II: Hilbert Modular Forms -- Arithmetic Aspects of Hilbert Modular Forms and Varieties -- Explicit Methods for Hilbert Modular Forms -- Part III: Elliptic Curves -- Notes on the Parity Conjecture.
Sommario/riassunto	The notes in this volume correspond to advanced courses held at the Centre de Recerca Matemàtica as part of the research program in Arithmetic Geometry in the 2009-2010 academic year. The notes by Laurent Berger provide an introduction to p-adic Galois representations and Fontaine rings, which are especially useful for describing many local deformation rings at p that arise naturally in Galois deformation theory. The notes by Gebhard Böckle offer a comprehensive course on Galois deformation theory, starting from the foundational results of Mazur and discussing in detail the theory of pseudo-representations and their deformations, local deformations at places $l \neq p$ and local deformations at p which are flat. In the last section, the results of Böckle and Kisin on presentations of global deformation rings over local ones are discussed. The notes by Mladen Dimitrov present the basics of the

arithmetic theory of Hilbert modular forms and varieties, with an emphasis on the study of the images of the attached Galois representations, on modularity lifting theorems over totally real number fields, and on the cohomology of Hilbert modular varieties with integral coefficients. The notes by Lassina Dembélé and John Voight describe methods for performing explicit computations in spaces of Hilbert modular forms. These methods depend on the Jacquet-Langlands correspondence and on computations in spaces of quaternionic modular forms, both for the case of definite and indefinite quaternion algebras. Several examples are given, and applications to modularity of Galois representations are discussed. The notes by Tim Dokchitser describe the proof, obtained by the author in a joint project with Vladimir Dokchitser, of the parity conjecture for elliptic curves over number fields under the assumption of finiteness of the Tate-Shafarevich group. The statement of the Birch and Swinnerton-Dyer conjecture is included, as well as a detailed study of local and global root numbers of elliptic curves and their classification.
