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| Autore                  | Kruse Raphael  |
| Titolo                  | Strong and Weak Approximation of Semilinear Stochastic Evolution<br>Equations [[electronic resource] /] / by Raphael Kruse   |
| Pubbl/distr/stampa      | Cham : , : Springer International Publishing : , : Imprint : Springer, ,<br>2014   |
| ISBN                    | 3-319-02231-8  |
| Edizione                | [1st ed. 2014.]  |
| Descrizione fisica      | 1 online resource (XIV, 177 p. 4 illus.)   |
| Collana                 | Lecture Notes in Mathematics, , 0075-8434 ; ; 2093   |
| Disciplina              | 519.22   |
| Soggetti                | Numerical analysis   |
|                         | Probabilities  |
|                         | Partial differential equations   |
|                         | Numerical Analysis   |
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| Lingua di pubblicazione | Inglese  |
| Formato                 | Materiale a stampa   |
| Livello bibliografico   | Monografia   |
| Note generali           | Bibliographic Level Mode of Issuance: Monograph  |
| Nota di contenuto       | Introduction Stochastic Evolution Equations in Hilbert Spaces<br>Optimal Strong Error Estimates for Galerkin Finite Element Methods<br>A Short Review of the Malliavin Calculus in Hilbert Spaces A Malliavin<br>Calculus Approach to Weak Convergence Numerical Experiments<br>Some Useful Variations of Gronwall's Lemma Results on Semigroups<br>and their Infinitesimal Generators A Generalized Version of<br>Lebesgue's Theorem References Index.  |
| Sommario/riassunto      | In this book we analyze the error caused by numerical schemes for the<br>approximation of semilinear stochastic evolution equations (SEEq) in a<br>Hilbert space-valued setting. The numerical schemes considered<br>combine Galerkin finite element methods with Euler-type temporal<br>approximations. Starting from a precise analysis of the spatio-temporal<br>regularity of the mild solution to the SEEq, we derive and prove optimal<br>error estimates of the strong error of convergence in the first part of<br>the book. The second part deals with a new approach to the so-called<br>weak error of convergence, which measures the distance between the<br>law of the numerical solution and the law of the exact solution. This |

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| approach is based on Bismut's integration by parts formula and the      |
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| Malliavin calculus for infinite dimensional stochastic processes. These |
| techniques are developed and explained in a separate chapter, before    |
| the weak convergence is proven for linear SEEq.                         |
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