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12 The Generality of Game-Theoretic Pricing

Sommario/riassunto

Provides a foundation for probability based on game theory rather than measure theory.A strong philosophical approach with practical applications.Presents in-depth coverage of classical probability theory as well as new theory.