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Titolo	Two-dimensional Crossing-Variable Cubic Nonlinear Systems // by Albert C. J. Luo
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Descrizione fisica	1 online resource (338 pages)
Disciplina	530.44
Soggetti	Plasma waves Multibody systems Vibration Mechanics, Applied Dynamics Nonlinear theories Engineering mathematics Engineering - Data processing Waves, instabilities and nonlinear plasma dynamics Multibody Systems and Mechanical Vibrations Applied Dynamical Systems Mathematical and Computational Engineering Applications
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Nota di contenuto	Constant and crossing-cubic vector fields -- Crossing-linear and crossing-cubic vector fields -- Crossing-quadratic and crossing-cubic Vector Field -- Two crossing-cubic vector fields.
Sommario/riassunto	This book is the fourth of 15 related monographs presents systematically a theory of crossing-cubic nonlinear systems. In this treatment, at least one vector field is crossing-cubic, and the other vector field can be constant, crossing-linear, crossing-quadratic, and crossing-cubic. For constant vector fields, the dynamical systems possess 1-dimensional flows, such as parabola and inflection flows plus third-order parabola flows. For crossing-linear and crossing-cubic

systems, the dynamical systems possess saddle and center equilibria, parabola-saddles, third-order centers and saddles (i.e., (3rd UP+:UP+)-saddle and (3rdUP-:UP-)-saddle) and third-order centers (i.e., (3rd DP+:DP-)-center, (3rd DP-, DP+)-center) . For crossing-quadratic and crossing-cubic systems, in addition to the first and third-order saddles and centers plus parabola-saddles, there are (3:2)parabola-saddle and double-inflection saddles, and for the two crossing-cubic systems, (3:3)-saddles and centers exist. Finally, the homoclinic orbits with centers can be formed, and the corresponding homoclinic networks of centers and saddles exist. Readers will learn new concepts, theory, phenomena, and analytic techniques, including

- Constant and crossing-cubic systems
- Crossing-linear and crossing-cubic systems
- Crossing-quadratic and crossing-cubic systems
- Crossing-cubic and crossing-cubic systems
- Appearing and switching bifurcations
- Third-order centers and saddles
- Parabola-saddles and inflection-saddles
- Homoclinic-orbit network with centers
- Appearing bifurcations

Develops equilibrium singularity and bifurcations in 2-dimensional self-cubic systems; Presents (1,3) and (3,3)-sink, source, and saddles; (1,2) and (3,2)-saddle-sink and saddle-source; (2,2)-double-saddles; Develops homoclinic networks of source, sink and saddles.
