

1. Record Nr.	UNINA9910972376703321
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Titolo	Local Dynamics of Non-Invertible Maps near Normal Surface Singularities
Pubbl/distr/stampa	Providence : , : American Mathematical Society, , 2021 ©2021
ISBN	9781470467531 1470467534
Edizione	[1st ed.]
Descrizione fisica	1 online resource (118 pages)
Collana	Memoirs of the American Mathematical Society ; ; v.272
Classificazione	32S0532H5013A1837P5032S45
Altri autori (Persone)	RuggieroMatteo
Disciplina	514/.746
Soggetti	Singularities (Mathematics) Holomorphic mappings Germs (Mathematics) Holomorphic functions Several complex variables and analytic spaces -- Singularities -- Local singularities Several complex variables and analytic spaces -- Holomorphic mappings and correspondences -- Iteration problems Commutative algebra -- General commutative ring theory -- Valuations and their generalizations Dynamical systems and ergodic theory -- Arithmetic and non-Archimedean dynamical systems -- Dynamical systems on Berkovich spaces Several complex variables and analytic spaces -- Singularities -- Modifications; resolution of singularities
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Nota di bibliografia	Includes bibliographical references.
Nota di contenuto	Normal surface singularities, resolutions, and intersection theory -- Normal surface singularities and their valuation spaces -- Log discrepancy, essential skeleta, and special singularities -- Dynamics on valuation spaces -- Dynamics of non-finite germs -- Dynamics of non-invertible finite germs -- Algebraic stability -- Attraction rates -- Examples and remarks.
Sommario/riassunto	"We study the problem of finding algebraically stable models for non-

invertible holomorphic fixed point germs $f : (X, x_0) \rightarrow (X, x_0)$, where X is a complex surface having x_0 as a normal singularity. We prove that as long as x_0 is not a cusp singularity of X , then it is possible to find arbitrarily high modifications $\pi : X \rightarrow (X, x_0)$ such that the dynamics of f (or more precisely of f^N for N big enough) on X is algebraically stable. This result is proved by understanding the dynamics induced by f on a space of valuations associated to X ; in fact, we are able to give a strong classification of all the possible dynamical behaviors of f on this valuation space. We also deduce a precise description of the behavior of the sequence of attraction rates for the iterates of f . Finally, we prove that in this setting the first dynamical degree is always a quadratic integer"--
