Record Nr. UNINA9910830956303321 Autore Vidakovic Brani <1955-> Titolo Statistical modeling by wavelets [[electronic resource] /] / Brani Vidakovic New York, : Wiley, 1999 Pubbl/distr/stampa **ISBN** 1-282-30775-4 9786612307751 0-470-31702-7 0-470-31786-8 Descrizione fisica 1 online resource (410 p.) Collana Wiley series in probability and mathematical statistics. Applied probability and statistics section 515.2433 Disciplina 519.5 Soggetti Mathematical statistics Wavelets (Mathematics) Lingua di pubblicazione Inglese **Formato** Materiale a stampa Livello bibliografico Monografia Note generali "A Wiley-Interscience publication." Includes bibliographical references (p. 345-370) and indexes. Nota di bibliografia Nota di contenuto Statistical Modeling by Wavelets; Contents; Preface; Acknowledgments; 1. Introduction: 1.1. Wavelet Evolution: 1.2. Wavelet Revolution: 1.3. Wavelets and Statistics; 1.4. An Appetizer: California Earthquakes; 2. Prerequisites; 2.1. General; 2.2. Hilben Spaces; 2.2.1. Projection Theorem; 2.2.2. Orthonomal Sets; 2.2.3. Reproducing Kernel Hilberf Spaces; 2.3. Fourier Transformation; 2.3.1. Basic Properties; 2.3.2. Poisson Summation Formula and Sampling Theorem; 2.3.3. Fourier Series; 2.3.4. Discrete Fourier Transform; 2.4. Heisenberg's Uncertainty Principle: 2.5. Some Important Function Spaces 2.6. Fundanzentals of Signal Processing 2.7. Exercises; 3. Wavelets; 3.1.

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Sommario/riassunto

A comprehensive, step-by-step introduction to wavelets in statistics. What are wavelets? What makes them increasingly indispensable in statistical nonparametrics? Why are they suitable for ""time-scale"" applications? How are they used to solve such problems as denoising, regression, or density estimation? Where can one find up-to-date information on these newly ""discovered"" mathematical objects? These are some of the questions Brani Vidakovic answers in Statistical Modeling by Wavelets. Providing a much-needed introduction to the latest tools afforded statisticians by wavelet theory,