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| Soggetti                | Inhomogeneous materials - Mathematical models<br>Coupled problems (Complex systems)<br>Homogenization (Differential equations)   |
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| Nota di contenuto       | <ul> <li>Homogenization of Coupled Phenomena in Heterogenous Media;</li> <li>Contents; Main notations; Introduction; Part one. Upscaling Methods;</li> <li>Chapter 1. An Introduction to Upscaling Methods; 1.1. Introduction;</li> <li>1.2. Heat transfer in a periodic bilaminate composite; 1.2.1. Transfer</li> <li>parallel to the layers; 1.2.2. Transfer perpendicular to the layers; 1.2.3.</li> <li>Comments; 1.2.4. Characteristic macroscopic length; 1.3. Bounds on</li> <li>the effective coefficients; 1.3.1. Theorem of virtual powers; 1.3.2.</li> <li>Minima in the complementary power and potential power; 1.3.3. Hill</li> <li>principle; 1.3.4. Voigt and Reuss bounds</li> <li>1.3.4.1. Upper bound: Voigt1.3.4.2. Lower bound: Reuss; 1.3.5.</li> <li>Comments; 1.3.6. Hashin and Shtrikman's bounds; 1.3.7. Higher-order</li> <li>bounds; 1.4. Self-consistent method; 1.4.1. Boundary-value problem;</li> <li>1.4.2. Self-consistent hypothesis; 1.4.3. Self-consistent method with</li> <li>simple inclusions; 1.4.3.1. Determination of for a homogenous</li> </ul> |

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|                    | spherical inclusion; 1.4.3.2. Self-consistent estimate; 1.4.3.3. Implicit<br>morphological constraints; 1.4.4. Comments; Chapter 2. Heterogenous<br>Medium: Is an Equivalent Macroscopic Description Possible?; 2.1.<br>Introduction<br>2.2. Comments on techniques for micro-macro upscaling2.2.1.<br>Homogenization techniques for separated length scales; 2.2.2. The<br>ideal homogenization method; 2.3. Statistical modeling; 2.4. Method of<br>multiple scale expansions; 2.4.1. Formulation of multiple scale<br>problems; 2.4.1.1. Homogenizability conditions; 2.4.1.2. Double spatial<br>variable; 2.4.1.3. Stationarity, asymptotic expansions; 2.4.2.<br>Methodology; 2.4.3. Parallels between macroscopic models for<br>materials with periodic and random structures; 2.4.3.1. Periodic<br>materials; 2.4.3.2. Random materials with a REV<br>2.4.4. Hill macro-homogenity and separation of scales2.5. Comments<br>on multiple scale methods and statistical methods; 2.5.1. On the<br>periodicity, the stationarity and the concept of the REV; 2.5.2. On the<br>absence of, or need for macroscopic prerequisites; 2.5.3. On the<br>homogenizability and consistency of the macroscopic description;<br>2.5.4. On the treatment of problems with several small parameters;<br>Chapter 3. Homogenization by Multiple Scale Asymptotic Expansions;<br>3.1. Introduction; 3.2. Separation of scales3.2.2. Experimental<br>visualization<br>3.2.1. Intuitive approach to the separation of scales3.2.2. Experimental<br>visualization of fields with two length scales; 3.2.2.1. Investigation of a<br>flexible net; 3.2.2.2. Photoelastic investigation of a perforated plate;<br>3.3. One-dimensional example; 3.3.1. Elasto-statics; 3.3.1.1.<br>Equivalent macroscopic description; 3.3.1.2. Comments; 3.3.2. Elasto-<br>dynamics; 3.3.2.1. Macroscopic dynamics: PI = $O(2)$ ; 3.3.2. Steady<br>state: PI = $O(3)$ ; 3.3.2.3. Non-homogenizable description: PI = $O(1)$ ;<br>3.3.3. Comments on the different possible choices for spatial variables<br>3.4. Expressing problems within the formalism of multiple scales |
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| Sommario/riassunto | Both naturally-occurring and man-made materials are often<br>heterogeneous materials formed of various constituents with different<br>properties and behaviours. Studies are usually carried out on volumes<br>of materials that contain a large number of heterogeneities. Describing<br>these media by using appropriate mathematical models to describe<br>each constituent turns out to be an intractable problem. Instead they<br>are generally investigated by using an equivalent macroscopic<br>description - relative to the microscopic heterogeneity scale - which<br>describes the overall behaviour of the media. Fundamental que   |