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Classification of Polarized Manifolds of Sectional Genus Two;
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first step; 2. The case $K \sim (3 - n)L$; 3. The case of a hyperquadric
fibration over a curve; 4. Polarized surfaces of sectional genus two;
Appendix; References
12. Proof of Theorem 1

Sommario/riassunto

Algebraic Geometry and Commutative Algebra