

1. Record Nr.	UNINA9910827875003321
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Titolo	Symmetry breaking for compact Lie groups // Michael Field
Pubbl/distr/stampa	Providence, Rhode Island : , : American Mathematical Society, , 1996 ©1996
ISBN	1-4704-0159-2
Descrizione fisica	1 online resource (185 p.)
Collana	Memoirs of the American Mathematical Society, , 0065-9266 ; ; Number 574
Disciplina	515/.353
Soggetti	Bifurcation theory Lie groups
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	"March 1996, Volume 120, Number 574 (second of 4 numbers)."
Nota di bibliografia	Includes bibliographical references.
Nota di contenuto	<p> ""Contents""; ""1. Introduction""; ""1.1. Notes for the reader""; ""1.2. Acknowledgements""; ""2. Technical Preliminaries and Basic Notations""; ""2.1. I?-sets and isotropy types""; ""2.2. Representations""; ""2.3. Isotropy types for representations""; ""2.4. Polynomial Invariants and Equivariants""; ""2.5. Smooth families of equivariant maps""; ""2.6. Normalized families""; ""3. Branching and invariant group orbits""; ""3.1. Relative equilibria and normal hyperbolicity""; ""3.2. Branches of relative equilibria""; ""3.3. The branching pattern""; ""3.4. Stabilities"" ""3.5. Branching conditions"" ""3.6. The signed indexed branching pattern""; ""3.7. Stable families""; ""3.8. Determinacy""; ""3.9. Strong determinacy""; ""4. Genericity theorems""; ""4.1. Semi-algebraic and semi-analytic sets""; ""4.2. Invariant and equi variant generators""; ""4.3. The variety I£""; ""4.4. Stability theorems I: Weak regularity""; ""4.5. Stability theorems II: Regular families""; ""4.6. Determinacy""; ""4.7. Examples related to finite reflection groups""; ""5. Finitely determined bifurcation problems I""; ""5.1. The phase vector field"" ""5.2. The spaces $A_{\text{sub}(h)}(I?,V)$, $B_{\text{sub}(h)}(I?,V)$"" ""5.3. Strong determinacy""; ""6. Finitely-determined bifurcation problems II""; ""6.1. Statement of the main theorem""; ""6.2. 2-stable relative equilibria""; ""7. Strong determinacy: Technical preliminaries""; ""7.1. Introduction""; ""7.2. Notational conventions""; ""7.3. Local geometry""; ""7.4. Weakly regular families""; ""7.5. Analytic families and solution branches""; ""7.6. </p>

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"7.10. Initial exponents and the space $R[\sup(3)]$ " "8. Strong determinacy: I ? finite"; "8.1. Analytic parametrizations"; "8.2. Estimates on eigenvalues"; "8.3. Fractional power series"; "8.4. Eigenvalue estimates: Analytic case"; "8.5. Eigenvalue estimates: Smooth case"; "8.6. Proof of Theorem 8.2.6"; "8.7. Strong determinacy: I ? finite"; "8.8. Formation of new branches under perturbation"; "9. Strong determinacy: I ? compact, non-finite"; "9.1. Polar blowing-up: Local theory"; "9.2. Polar blowing-up: Global theory"; "9.3. Polar blowing-up a I ?-manifold"

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