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"7.10. Initial exponents and the space $R[\sup(3)]$ " "8. Strong determinacy: I ? finite"; "8.1. Analytic parametrizations"; "8.2. Estimates on eigenvalues"; "8.3. Fractional power series"; "8.4. Eigenvalue estimates: Analytic case"; "8.5. Eigenvalue estimates: Smooth case"; "8.6. Proof of Theorem 8.2.6"; "8.7. Strong determinacy: I ? finite"; "8.8. Formation of new branches under perturbation"; "9. Strong determinacy: I ? compact, non-finite"; "9.1. Polar blowing-up: Local theory"; "9.2. Polar blowing-up: Global theory"; "9.3. Polar blowing-up a I ?-manifold"

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