1. Record Nr. UNINA9910826713603321 Autore Weiner Maurice Titolo Electromagnetic analysis using transmission line variables / / Maurice Weiner Pubbl/distr/stampa Singapore; ; River Edge, NJ, : World Scientific, c2001 **ISBN** 1-281-95617-1 9786611956172 981-281-047-1 Edizione [1st ed.] Descrizione fisica 1 online resource (531 p.) Disciplina 530.141 Soggetti Electromagnetic fields - Mathematics Electromagnetic theory - Mathematics Electric lines Electromagnetic waves - Transmission Lingua di pubblicazione Inglese **Formato** Materiale a stampa Livello bibliografico Monografia Note generali Description based upon print version of record. Nota di bibliografia Includes bibliographical references and index. Nota di contenuto CONTENTS: I. INTRODUCTION TO TRANSMISSION LINES AND THEIR APPLICATION TO ELECTROMAGNETIC PHENOMENA; 1.1 Simple Experimental Example; 1.2 Examples of Impulse Sources; 1.3 Model Outline: 1.4 Application of Model for Small Node Resistance: 1.5 Transmission Line Theory Background; 1.6 Initial Conditions of Special Interest; One Dimensional TLM Analysis. Comparison with Finite Difference Method; 1.7 TLM Iteration Method; 1.8 Reverse TLM Iteration: 1.9 Example of Reverse Iteration for Non-Uniform Line: 1.10 Derivation of Scattering Coefficients for Reverse Iteration 1.11 Complete TLM Iteration (Combining Forward and Reverse Iterations)1.12 Finite Difference Method . Comparison with TLM Method; Two Dimensional TLM Analysis. Comparison with Finite Difference Method; 1.13 Boundary Conditions at 2D Node; 1.14 Static Behavior About 2D Node; 1.15 Non-Static Example: Wave Incident on 2D Node: 1.16 Integral Rotational Properties of Field About the Node: 1.17 2D TLM Iteration Method for Nine Cell Core Matrix; 1.18 2D Finite

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Sommario/riassunto

Problems in electromagnetic propagation, especially those with complex geometries, have traditionally been solved using numerical methods, such as the method of finite differences. Unfortunately the mathematical methods suffer from a lack of physical appeal. The researcher or designer often loses sight of the physics underlying the problem, and changes in the mathematical formulation are often not identifiable with any physical change. This book employs a relatively new method for solving electromagnetic problems, one which makes use of a transmission line matrix (TLM). The propagation space i