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10.5 Special QP Problems10.6 Complementary Pivoting and Other Methods; Questions for Chapter 10; Chapter 11 General Linearly Constrained Optimization; 11.1 Equality Constraints; 11.2 Inequality Constraints; 11.3 Zigzagging; Questions for Chapter 11; Chapter 12 Nonlinear Programming; 12.1 Penalty and Barrier Functions; 12.2 Multiplier Penalty Functions; 12.3 The L1 Exact Penalty Function; 12.4 The Lagrange-Newton Method (SQP); 12.5 Nonlinear Elimination and Feasible Direction Methods ...; 12.6 Other Methods; Questions for Chapter 12; Chapter 13 Other Optimization Problems
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Sommario/riassunto

Fully describes optimization methods that are currently most valuable in solving real-life problems. Since optimization has applications in almost every branch of science and technology, the text emphasizes their practical aspects in conjunction with the heuristics useful in making them perform more reliably and efficiently. To this end, it presents comparative numerical studies to give readers a feel for possibile applications and to illustrate the problems in assessing evidence. Also provides theoretical background which provides insights into how methods are derived. This edition offers rev