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Nota di contenuto	<p>""Chapter 4. $L_{\text{sub}(n)}$ and $I_{\text{sub}(n,i)}$ as Semi-Invariants of the First Kind""</p> <p>""Chapter 5. $V_{\text{sub}(n)}$ and $J_{\text{sub}(n,i)}$ as Semi-Invariants of the Second Kind""</p> <p>""Chapter 6. The Coefficients of Transformed Equations""</p> <p>""6.1. Alternative formulas for $c_{\text{sub}(i)}^{**}(\text{I?})$ in (1.5)""</p> <p>""6.2. The coefficients of a composite transformation""</p> <p>""6.3. Several examples""</p> <p>""6.4. Proof of an old observation""</p> <p>""6.5. Conditions for transformed equations""</p> <p>""6.6. Formulas for later reference""</p> <p>""Chapter 7. Formulas That Involve $L_{\text{sub}(n)}(z)$ or $I_{\text{sub}(n,n)}(z)$""</p> <p>""7.1. The coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""7.2. Derivatives for the coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""7.3. Identities for the coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""Chapter 8. Formulas That Involve $V_{\text{sub}(n)}(z)$ or $J_{\text{sub}(n,n)}(z)$""</p> <p>""8.1. The coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""8.2. Derivatives for the coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""8.3. Identities for the coefficients of (6.8) when $d_{\text{sub}(1)}(\text{I?}) a_{?i} d_{\text{sub}(2)}(\text{I?}) a_{?i} 0$""</p> <p>""Chapter 9. Verification of $I_{\text{sub}(n,n)} a_{?i} J_{\text{sub}(n,n)}$ and Various Observations""</p> <p>""9.1. Proof for the first part of the Main Theorem in Chapter 1""</p> <p>""9.2. Global sets""</p> <p>""9.3. A fourth type of invariant: an absolute invariant""</p> <p>""9.4. Laguerre-Forsyth canonical</p>

forms"; "Chapter 10. The Local Constructions of Earlier Research";
"10.1. Standard techniques"; "10.2. An improved computational
procedure"; "10.3. Hindrances to earlier research"
"Chapter 11. Relations for $G_{(i)}$, $H_{(i)}$, and $L_{(i)}$ That Yield
Equivalent Formulas for Basic Relative Invariants"
