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| Autore | Jaye Benjamin <1984-> |
| Titolo | The Riesz transform of codimension smaller than one and the Wolff energy // Benjamin Jaye [and three others] |
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| Collana | Memoirs of the American Mathematical Society ; ; Number 1293 |
| Classificazione | 42B3731B15 |
| Disciplina | 515.73 |
| Soggetti | Harmonic analysis Calderon-Zygmund operator Laplacian operator Lipschitz spaces Potential theory (Mathematics) |
| Lingua di pubblicazione | Inglese |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| Note generali | "Forthcoming, volume 266, number 1293." |
| Nota di bibliografia | Includes bibliographical references. |
| Nota di contenuto | The general scheme : finding a large Lipschitz oscillation coefficient -- Upward and downward domination -- Preliminary results regarding reflectionless measures -- The basic energy estimates -- Blow up I : The density drop -- The choice of the shell -- Blow up II : doing away with [epsilon] -- Localization around the shell -- The scheme -- Suppressed kernels -- Step I : Calderon-Zygmund theory (from a distribution to an L_p -function) -- Step II : The smoothing operation -- Step III : The variational argument -- Contradiction. |
| Sommario/riassunto | "Fix d [greater than or equal to] 2, and s [epsilon] ($d - 1$, d). We characterize the non-negative locally finite non-atomic Borel measures $[\mu]$ in \mathbb{R}^d for which the associated s -Riesz transform is bounded in $L^2([\mu])$ in terms of the Wolff energy. This extends the range of s in which the Mateu-Prat-Verdera characterization of measures with bounded s -Riesz transform is known. As an application, we give a metric characterization of the removable sets for locally Lipschitz continuous solutions of the fractional Laplacian operator $(-\Delta)^{[\infty]/2, [\infty]}$ [epsilon] (1, 2), in terms of a well-known capacity from non-linear potential theory. This result contrasts sharply with |

