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Characterization Using Permutations; 4. An Application to  
Synchronizing Parallel Processes; Exercises; Bibliography  
Chapter 11. Not So Perfect Graphs

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Sommario/riassunto

Algorithmic Graph Theory and Perfect Graphs

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