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The seminal text on fractal geometry for students and researchers:
 extensively revised and updated with new material, notes and
 references that reflect recent directions. Interest in fractal geometry
 continues to grow rapidly, both as a subject that is fascinating in its
 own right and as a concept that is central to many areas of
 mathematics, science and scientific research. Since its initial publication
 in 1990 *Fractal Geometry: Mathematical Foundations and Applications*
 has become a seminal text on the mathematics of fractals. The book
 introduces and develops the general theory and applications of fractals
 in a way that is accessible to students and researchers from a wide
 range of disciplines. *Fractal Geometry: Mathematical Foundations and
 Applications* is an excellent course book for undergraduate and
 graduate students studying fractal geometry, with suggestions for

material appropriate for a first course indicated. The book also provides an invaluable foundation and reference for researchers who encounter fractals not only in mathematics but also in other areas across physics, engineering and the applied sciences. Provides a comprehensive and accessible introduction to the mathematical theory and applications of fractals Carefully explains each topic using illustrative examples and diagrams Includes the necessary mathematical background material, along with notes and references to enable the reader to pursue individual topics Features a wide range of exercises, enabling readers to consolidate their understanding Supported by a website with solutions to exercises and additional material <http://www.wileyurope.com/fractal> Leads onto the more advanced sequel Techniques in Fractal Geometry (also by Kenneth Falconer and available from Wiley).
