

|                         |  |
|-------------------------|--|
| 1. Record Nr.           | UNINA9910793168103321  |
| Autore                  | Chataur David <1974->  |
| Titolo                  | Intersection cohomology, simplicial blow-up and rational homotopy // David Chataur, Martintxo Saralegi-Aranguren, Daniel Tanre   |
| Pubbl/distr/stampa      | Providence, Rhode Island : , : American Mathematical Society, , 2018   |
| ISBN                    | 1-4704-4744-4  |
| Descrizione fisica      | 1 online resource (122 pages)  |
| Collana                 | Memoirs of the American Mathematical Society ; ; Volume 254, Number 1214   |
| Disciplina              | 514.23   |
| Soggetti                | Intersection homology theory   |
| Lingua di pubblicazione | Inglese  |
| Formato                 | Materiale a stampa   |
| Livello bibliografico   | Monografia   |
| Nota di bibliografia    | Includes bibliographical references and index.   |
| Nota di contenuto       | Simplicial blow-up and intersection-cohomology -- Rational algebraic models -- Formality and examples.   |
| Sommario/riassunto      | "Let $X$ be a pseudomanifold. In this text, we use a simplicial blow-up to define a cochain complex whose cohomology with coefficients in a field, is isomorphic to the intersection cohomology of $X$ , introduced by M. Goresky and R. MacPherson. We do it simplicially in the setting of a filtered version of face sets, also called simplicial sets without degeneracies, in the sense of C.P. Rourke and B.J. Sanderson. We define perverse local systems over filtered face sets and intersection cohomology with coefficients in a perverse local system. In particular, as announced above when $X$ is a pseudomanifold, we get a perverse local system of cochains quasi-isomorphic to the intersection cochains of Goresky and MacPherson, over a field. We show also that these two complexes of cochains are quasi-isomorphic to a filtered version of Sullivan's differential forms over the field $\mathbb{Q}$ . In a second step, we use these forms to extend Sullivan's presentation of rational homotopy type to intersection cohomology. For that, we construct a functor from the category of filtered face sets to a category of perverse commutative differential graded $\mathbb{Q}$ -algebras (CDGA's) due to Hovey. We establish also the existence and uniqueness of a positively graded, minimal model of some perverse CDGA's, including the perverse forms over a filtered face set and their intersection cohomology. Finally, we prove the topological invariance of the minimal model of a PL- |

pseudomanifold whose regular part is connected, and this theory creates new topological invariants. This point of view brings a definition of formality in the intersection setting and examples are given. In particular, we show that any nodal hypersurface in  $CP(4)$ , is intersection-formal"--

---