Record Nr. UNINA9910789220803321 The Moduli Space of Curves [[electronic resource] /] / edited by Robert **Titolo** H. Dijkgraaf, Carel Faber, Gerard B.M. van der Geer Pubbl/distr/stampa Boston, MA:,: Birkhäuser Boston:,: Imprint: Birkhäuser,, 1995 **ISBN** 1-4612-4264-9 Edizione [1st ed. 1995.] 1 online resource (XII, 563p.) Descrizione fisica Collana Progress in Mathematics, , 0743-1643; ; 129 Disciplina 514 Soggetti Algebra **Topology** Algebraic topology Algebraic geometry Algebraic Topology Algebraic Geometry Lingua di pubblicazione Inglese **Formato** Materiale a stampa Livello bibliografico Monografia Note generali Bibliographic Level Mode of Issuance: Monograph Nota di bibliografia Includes bibliographical references. Nota di contenuto Distribution of rational points and Kodaira dimension of fiber products -- How many rational points can a curve have? -- Quantum cohomology of rational surfaces -- Quantum intersection rings --Mirror symmetry and elliptic curves -- A generalized Jacobi theta function and quasimodular forms -- Boundary behaviour of Hurwitz schemes -- Operads and moduli spaces of genus 0 Riemann surfaces -- Resolution of diagonals and moduli spaces -- The Chow ring of the moduli space of curves of genus 5 -- The cohomology of algebras over moduli spaces -- Enumeration of rational curves via torus actions --Cellular decompositions of compactified moduli spaces of pointed curves -- Generating functions in algebraic geometry and sums over trees -- Holomorphicity and non-holomorphicity in N = 2 supersymmetric field theories -- An arithmetic problem in surface geometry -- An orbifold partition of bar M ng -- Moduli of curves with non-abelian level structure -- Q-structure of conformal field theory with gauge symmetries -- On the cohomology of moduli spaces of rank two vector bundles over curves.

Sommario/riassunto

The moduli space Mg of curves of fixed genus g – that is, the algebraic

variety that parametrizes all curves of genus g – is one of the most intriguing objects of study in algebraic geometry these days. Its appeal results not only from its beautiful mathematical structure but also from recent developments in theoretical physics, in particular in conformal field theory. Leading experts in the field explore in this volume both the structure of the moduli space of curves and its relationship with physics through quantum cohomology. Altogether, this is a lively volume that testifies to the ferment in the field and gives an excellent view of the state of the art for both mathematicians and theoretical physicists. It is a persuasive example of the famous Wignes comment, and its converse, on "the unreasonable effectiveness of mathematics in the natural science." Witteen's conjecture in 1990 describing the intersection behavior of tautological classes in the cohomology of Mg arose directly from string theory. Shortly thereafter a stunning proof was provided by Kontsevich who, in this volume, describes his solution to the problem of counting rational curves on certain algebraic varieties and includes numerous suggestions for further development. The same problem is given an elegant treatment in a paper by Manin. There follows a number of contributions to the geometry, cohomology, and arithmetic of the moduli spaces of curves. In addition, several contributors address quantum cohomology and conformal field theory.