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Nota di contenuto	Frontmatter Preface Contents Chapter 1. Auxiliary information from functional analysis and theory of differential equations Chapter 2. The weak approximation method Chapter 3. Identification problems for parabolic equations with Cauchy data Chapter 4. The identification of the source function for a system of composite type and parabolic equation. The behavior of the problem's solution under t -> + Chapter 5. The problem of determining the coefficient in a parabolic equation and some properties of its solution Chapter 6. Two unknown coefficients of a parabolic type equation Chapter 7. Some inverse boundary value problems Bibliography
Sommario/riassunto	This monograph is devoted to identification problems of coefficients in equations of mathematical physics. It invesitgates the existence and uniqueness of the solutions for identification coefficient problems in parabolic and hyperbolic equations and equation systems of composite type. The problems are studied with the Cauchy data and equations in which the Fourier transform with respect to the chosen variable is supposed to occur. Differential properties of the solutions for the original direct problems and their behavior under great values of time are studied on the basis of solution properties for direct problems. The identification problems with one or two unknown coefficients are also investigated. For initial boundary value conditions linear and nonlinear

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