1. Record Nr.   UNINA9910784833703321

Titolo   Computer algebra 2006 [[electronic resource]] : latest advances in
                         symbolic algorithms : proceedings of the Waterloo Workshop in
                         Computer Algebra 2006, Ontario, Canada, 10-12 April 2006 / /
                         editors, Ilias Kotsireas, Eugene Zima

Pubbl/distr/stampa   Singapore ; ; Hackensack, NJ, : World Scientific, c2007

ISBN   1-281-93008-3
                         9786611930080
                         981-277-885-3

Descrizione fisica   1 online resource (220 p.)

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Disciplina   005.1

Soggetti   Algebra - Data processing
                         Computer algorithms

Lingua di pubblicazione Inglese

Formato   Materiale a stampa

Livello bibliografico   Monografia

Note generali   "The Waterloo Workshop on Computer Algebra (WWCA-2006) was held
                         on April 10-12, 2006 at Wilfrid Laurier University (Waterloo, Ontario,
                         Canada)."--P. v.
                         Workshop dedicated to the 60th birthday of Sergei Abramov.

Nota di bibliografia   Includes bibliographical references and index.

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6. Generalized LB-functional

| Sommario/riassunto | Written by world-renowned experts, the book is a collection of tutorial presentations and research papers catering to the latest advances in symbolic summation, factorization, symbolic-numeric linear algebra and linear functional equations. The papers were presented at a workshop celebrating the 60th birthday of Sergei Abramov (Russia), whose highly influential contributions to symbolic methods are adopted in many leading computer algebra systems. |