1. Record Nr. UNINA9910782226603321 Autore Berezovski Arkadi Titolo Numerical simulation of waves and fronts in inhomogeneous solids [[electronic resource] /] / Arkadi Berezovski, Juri Engelbrecht, Gerard A Maugin Hackensack, NJ,: World Scientific, c2008 Pubbl/distr/stampa **ISBN** 1-281-96830-7 9786611968304 981-283-268-8 Descrizione fisica 1 online resource (236 p.) World Scientific series on nonlinear science, , Series A Monographs and Collana treatises;; v. 62 Altri autori (Persone) EngelbrechtJuri MauginG. A <1944-> (Gerard A.) Disciplina 530.4/12 Soggetti Elastic solids Inhomogeneous materials Wave-motion, Theory of Lingua di pubblicazione Inglese **Formato** Materiale a stampa Livello bibliografico Monografia Description based upon print version of record. Note generali Nota di bibliografia Includes bibliographical references (p. 209-219) and index. Nota di contenuto Preface: Contents: 1. Introduction: 1.1 Waves and fronts: 1.2 True and quasi-inhomogeneities; 1.3 Driving force and the corresponding dissipation; 1.4 Example of a straight brittle crack; 1.5 Example of a phase-transition front: 1.6 Numerical simulations of moving discontinuities; 1.7 Outline of the book; 2. Material Inhomogeneities in Thermomechanics; 2.1 Kinematics; 2.2 Integral balance laws; 2.3 Localization and jump relations: 2.3.1 Local balance laws: 2.3.2 Jump relations; 2.3.3 Constitutive relations; 2.4 True and guasi-material inhomogeneities; 2.4.1 Balance of pseudomomentum 2.5 Brittle fracture 2.5.1 Straight brittle crack; 2.6 Phase-transition fronts; 2.6.1 Jump relations; 2.6.2 Driving force; 2.7 On the exploitation of Eshelby's stress in isothermal and adiabatic conditions; 2.7.1 Driving force at singular surface in adiabatic conditions; 2.7.2 Another approach to the driving force; 2.8 Concluding remarks; 3.

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Sommario/riassunto

This book shows the advanced methods of numerical simulation of waves and fronts propagation in inhomogeneous solids and introduces related important ideas associated with the application of numerical methods for these problems. Great care has been taken throughout the book to seek a balance between the thermomechanical analysis and numerical techniques. It is suitable for advanced undergraduate and graduate courses in continuum mechanics and engineering. Necessary prerequisites for this text are basic continuum mechanics and thermodynamics. Some elementary knowledge of numerical methods for p