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| 1. Record Nr.           | UNINA9910792526603321  |
| Autore                  | Ross Loretta   |
| Titolo                  | Reproductive justice [[electronic resource] ] : an introduction / / Rickie Solinger, Loretta Ross  |
| Pubbl/distr/stampa      | Berkeley, CA : , : University of California Press, , [2017]<br>©2017   |
| ISBN                    | 0-520-96320-2  |
| Descrizione fisica      | 1 online resource (361 pages)  |
| Collana                 | Reproductive Justice: A New Vision for the 21st Century ; ; 1  |
| Disciplina              | 342.7308/5   |
| Soggetti                | Human reproduction - Law and legislation - United States<br>Reproductive rights - United States<br>Reproductive health - United States<br>African American women - Health and hygiene<br>Reproductive Rights<br>Reproduction<br>Reproductive Health<br>Women's rights - United States  |
| Lingua di pubblicazione | Inglese  |
| Formato                 | Materiale a stampa   |
| Livello bibliografico   | Monografia   |
| Note generali           | Includes index.  |
| Nota di contenuto       | Front matter -- Contents -- Introduction -- 1. A Reproductive Justice History -- 2. Reproductive Justice in the Twenty-First Century -- 3. Managing Fertility -- 4. Reproductive Justice and the Right to Parent -- Epilogue: Reproductive Justice on the Ground -- Acknowledgments -- Notes -- Index  |
| Sommario/riassunto      | Reproductive Justice is a first-of-its-kind primer that provides a comprehensive yet succinct description of the field. Written by two legendary scholar-activists, Reproductive Justice introduces students to an intersectional analysis of race, class, and gender politics. Loretta J. Ross and Rickie Solinger put the lives and lived experience of women of color at the center of the book and use a human rights analysis to show how the discussion around reproductive justice differs significantly from the pro-choice/anti-abortion debates that have long dominated the headlines and mainstream political conflict. Arguing that reproductive justice is a political movement of reproductive rights and |

social justice, the authors illuminate, for example, the complex web of structural obstacles a low-income, physically disabled woman living in West Texas faces as she contemplates her sexual and reproductive intentions. In a period in which women's reproductive lives are imperiled, Reproductive Justice provides an essential guide to understanding and mobilizing around women's human rights in the twenty-first century. Reproductive Justice: A New Vision for the Twenty-First Century publishes works that explore the contours and content of reproductive justice. The series will include primers intended for students and those new to reproductive justice as well as books of original research that will further knowledge and impact society. Learn more at [www.ucpress.edu/go/reproductivejustice](http://www.ucpress.edu/go/reproductivejustice).

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| 2. Record Nr.           | UNINA9910735778203321   |
| Autore                  | Limnios N (Nikolaos)  |
| Titolo                  | Discrete-Time Semi-Markov Random Evolutions and Their Applications<br>// by Nikolaos Limnios, Anatoliy Swishchuk  |
| Pubbl/distr/stampa      | Cham : , : Springer Nature Switzerland : , : Imprint : Birkhäuser, , 2023   |
| ISBN                    | 9783031334290<br>3031334299   |
| Edizione                | [1st ed. 2023.]   |
| Descrizione fisica      | 1 online resource (206 pages)   |
| Collana                 | Probability and Its Applications, , 2297-0398   |
| Altri autori (Persone)  | SwishchukAnatoliy   |
| Disciplina              | 519.233   |
| Soggetti                | Stochastic processes<br>Probabilities<br>Mathematical statistics<br>Dynamics<br>Stochastic Processes<br>Probability Theory<br>Mathematical Statistics<br>Applied Probability<br>Dynamical Systems<br>Stochastic Systems and Control |
| Lingua di pubblicazione | Inglese   |
| Formato                 | Materiale a stampa  |
| Livello bibliografico   | Monografia  |

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## Sommario/riassunto

This book extends the theory and applications of random evolutions to semi-Markov random media in discrete time, essentially focusing on semi-Markov chains as switching or driving processes. After giving the definitions of discrete-time semi-Markov chains and random evolutions, it presents the asymptotic theory in a functional setting, including weak convergence results in the series scheme, and their extensions in some additional directions, including reduced random media, controlled processes, and optimal stopping. Finally, applications of discrete-time semi-Markov random evolutions in epidemiology and financial mathematics are discussed. This book will be of interest to researchers and graduate students in applied mathematics and statistics, and other disciplines, including engineering, epidemiology, finance and economics, who are concerned with stochastic models of systems.