

1. Record Nr.	UNINA9910698772003321
Titolo	Guidance for industry [[electronic resource]] : new contrast imaging indication considerations for devices and approved drug and biological products
Pubbl/distr/stampa	Rockville, MD : , : U.S. Dept. of Health and Human Services, Food and Drug Administration, Office of Combination Products (OCP) in Office of Commissioner : , : Center for Devices and Radiological Health (CDRH) : , : Center for Drug Evaluation and Research (CDER), , [2008]
Descrizione fisica	18 pages : digital, PDF file
Soggetti	Contrast-enhanced magnetic resonance imaging - Equipment and supplies - Evaluation Contrast-enhanced ultrasound - Equipment and supplies - Evaluation Biomedical materials - Evaluation
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	Title from PDF title page (viewed on Apr. 6, 2009). "Draft guidance." "September 2008."

2. Record Nr.	UNINA9910634036603321
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Titolo	Bifurcations in Continuous Piecewise Linear Differential Systems : Applications to Low-Dimensional Electronic Oscillators // by Enrique Ponce, Javier Ros, Elisabet Vela
Pubbl/distr/stampa	Cham : , : Springer International Publishing : , : Imprint : Springer, , 2022
ISBN	3-031-21135-9
Edizione	[1st ed. 2022.]
Descrizione fisica	1 online resource (317 pages)
Collana	RSME Springer Series, , 2509-8896 ; ; 7
Disciplina	780 515.354
Soggetti	Mathematical analysis Differential equations Analysis Differential Equations
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Nota di bibliografia	Includes bibliographical references.
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9.1 The Symmetric Focus-Center-Limit Cycle Bifurcation -- 9.2 The
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Characteristics of Chua's Diode -- B The Chua's Oscillator -- C Some

The book is devoted to the qualitative study of differential equations defined by piecewise linear (PWL) vector fields, mainly continuous, and presenting two or three regions of linearity. The study focuses on the more common bifurcations that PWL differential systems can undergo, with emphasis on those leading to limit cycles. Similarities and differences with respect to their smooth counterparts are considered and highlighted. Regarding the dimensionality of the addressed problems, some general results in arbitrary dimensions are included. The manuscript mainly addresses specific aspects in PWL differential systems of dimensions 2 and 3, which are sufficient for the analysis of basic electronic oscillators. The work is divided into three parts. The first part motivates the study of PWL differential systems as the natural next step towards dynamic complexity when starting from linear differential systems. The nomenclature and some general results for PWL systems in arbitrary dimensions are introduced. In particular, a minimal representation of PWL systems, called canonical form, is presented, as well as the closing equations, which are fundamental tools for the subsequent study of periodic orbits. The second part contains some results on PWL systems in dimension 2, both continuous and discontinuous, and both with two or three regions of linearity. In particular, the focus-center-limit cycle bifurcation and the Hopf-like bifurcation are completely described. The results obtained are then applied to the study of different electronic devices. In the third part, several results on PWL differential systems in dimension 3 are presented. In particular, the focus-center-limit cycle bifurcation is studied in systems with two and three linear regions, in the latter case with symmetry. Finally, the piecewise linear version of the Hopf-pitchfork bifurcation is introduced. The analysis also includes the study of degenerate situations. Again, the above results are applied to the study of different electronic oscillators.