Record Nr.	UNINA9910482998503321
Autore	Marubayashi Hidetoshi <1941->
Titolo	Prime divisors and noncommutative valuation theory / / Hidetoshi Marubayashi, Fred Van Oystaeyen
Pubbl/distr/stampa	Berlin ; ; Heidelberg, : Springer, c2012
ISBN	3-642-31152-0
Edizione	[1st ed. 2012.]
Descrizione fisica	1 online resource (IX, 218 p.)
Collana	Lecture notes in mathematics, , 1617-9692 ; ; 2059
Classificazione	16W4016W7016S3816H1013J2016T05
Altri autori (Persone)	OystaeyenF. Van <1947->
Disciplina	512.46
Soggetti	Noncommutative rings Valuation theory
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	Bibliographic Level Mode of Issuance: Monograph
Nota di bibliografia	Includes bibliographical references and index.
Nota di contenuto	<ol> <li>General Theory of Primes 2. Maximal Orders and Primes 3. Extensions of Valuations to some Quantized Algebras.</li> </ol>
Sommario/riassunto	Classical valuation theory has applications in number theory and class field theory as well as in algebraic geometry, e.g. in a divisor theory for curves. But the noncommutative equivalent is mainly applied to finite dimensional skewfields. Recently however, new types of algebras have become popular in modern algebra; Weyl algebras, deformed and quantized algebras, quantum groups and Hopf algebras, etc. The advantage of valuation theory in the commutative case is that it allows effective calculations, bringing the arithmetical properties of the ground field into the picture. This arithmetical nature is also present in the theory of maximal orders in central simple algebras. Firstly, we aim at uniting maximal orders, valuation rings, Dubrovin valuations, etc. in a common theory, the theory of primes of algebras. Secondly, we establish possible applications of the noncommutative arithmetics to interesting classes of algebras, including the extension of central valuations to nice classes of quantized algebras and quantum groups, noncommutative valuations on Hopf algebras and quantum groups, noncommutative valuations of Gauss extensions.

1.