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"3. Reduction to simply-connected regions"4. Recurrences for $M(R[\text{sub}(1,q)](x))$ and $M(R[\text{sub}(1,q)](x))$ "; "5. Proof of Proposition 2.1"; "6. The guessing of $M(R[\text{sub}(1,q)](x))$ and $M(R[\text{sub}(1,q)](x))$ ";

"Bibliography"
