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""5.3 Contributions from $\Gamma_0^+(\ell)$ """; ""5.4 A dimension formula for the principal congruence subgroup $\Gamma_0^+(3)(N)$ """; ""5.5 Contributions from $\Gamma_0^+(\ell)(\mathbb{Z})$ """; ""5.6 A final remark"""; ""REFERENCES""
