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| 1. Record Nr. | UNINA9910461891403321 |
| Autore | Apartsin A. S |
| Titolo | Nonclassical linear Volterra equations of the first kind [[electronic resource] /] / A.S. Apartsyn |
| Pubbl/distr/stampa | Utrecht ; ; Boston, : VSP, 2003 |
| ISBN | 3-11-094497-9 |
| Edizione | [Reprint 2010] |
| Descrizione fisica | 1 online resource (176 p.) |
| Collana | Inverse and ill-posed problems series, , 1381-4524 Inverse and Ill-Posed Problems Series ; ; 39 |
| Disciplina | 515/.45 |
| Soggetti | Volterra equations Electronic books. |
| Lingua di pubblicazione | Inglese |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| Note generali | Description based upon print version of record. |
| Nota di bibliografia | Includes bibliographical references (p. [153]-165) and index. |
| Nota di contenuto | Front matter -- Introduction -- Chapter 1. Classical Volterra equations of the first kind -- Chapter 2. Volterra equations of the first kind with two variable integration limits. The case $a(t_0) < t_0$ -- Chapter 3. Volterra equations of the first kind with two variable limits of integration. The case $a(t_0) = t_0$ -- Bibliography -- Index |
| Sommario/riassunto | This monograph deals with linear integra Volterra equations of the first kind with variable upper and lower limits of integration. Volterra operators of this type are the basic operators for integral models of dynamic systems. |

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| 2. Record Nr. | UNINA9910816776503321 |
| Autore | Sakhnovich Alexander |
| Titolo | Inverse problems and nonlinear evolution equations : solutions, Darboux matrices and Weyl-Titchmarsh functions // by Alexander Sakhnovich, Lev Sakhnovich, Inna Roitberg |
| Pubbl/distr/stampa | Berlin ; ; Boston : , : Walter de Gruyter GmbH & Co., KG, , [2013] ©2013 |
| Descrizione fisica | 1 online resource (356 p.) |
| Collana | De Gruyter Studies in Mathematics ; ; 47 |
| Altri autori (Persone) | RoitbergInna SakhnovichL. A |
| Disciplina | 515.357 515/.357 |
| Soggetti | Boundary value problems Darboux transformations Evolution equations, Nonlinear Functions Inverse problems (Differential equations) Matrices |
| Lingua di pubblicazione | Inglese |
| Formato | Materiale a stampa |
| Livello bibliografico | Monografia |
| Note generali | Description based upon print version of record. |
| Nota di bibliografia | Includes bibliographies and index. |
| Nota di contenuto | Front matter -- Preface -- Notation -- Contents -- 0 Introduction -- 1 Preliminaries -- 2 Self-adjoint Dirac system: rectangular matrix potentials -- 3 Skew-self-adjoint Dirac system: rectangular matrix potentials -- 4 Linear system auxiliary to the nonlinear optics equation -- 5 Discrete systems -- 6 Integrable nonlinear equations -- 7 General GBDT theorems and explicit solutions of nonlinear equations -- 8 Some further results on inverse problems and generalized Bäcklund-Darboux transformation (GBDT) -- 9 Sliding inverse problems for radial Dirac and Schrödinger equations -- Appendices -- A General-type canonical system: pseudospectral and Weyl functions -- B Mathematical system theory -- C Krein's system -- D Operator identities corresponding to inverse problems -- E Some basic theorems -- Bibliography -- Index |
| Sommario/riassunto | This book is based on the method of operator identities and related |

theory of S-nodes, both developed by Lev Sakhnovich. The notion of the transfer matrix function generated by the S-node plays an essential role. The authors present fundamental solutions of various important systems of differential equations using the transfer matrix function, that is, either directly in the form of the transfer matrix function or via the representation in this form of the corresponding Darboux matrix, when Bäcklund-Darboux transformations and explicit solutions are considered. The transfer matrix function representation of the fundamental solution yields solution of an inverse problem, namely, the problem to recover system from its Weyl function. Weyl theories of selfadjoint and skew-selfadjoint Dirac systems, related canonical systems, discrete Dirac systems, system auxiliary to the N-wave equation and a system rationally depending on the spectral parameter are obtained in this way. The results on direct and inverse problems are applied in turn to the study of the initial-boundary value problems for integrable (nonlinear) wave equations via inverse spectral transformation method. Evolution of the Weyl function and solution of the initial-boundary value problem in a semi-strip are derived for many important nonlinear equations. Some uniqueness and global existence results are also proved in detail using evolution formulas. The reading of the book requires only some basic knowledge of linear algebra, calculus and operator theory from the standard university courses.
