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Definitions; 3.4.2 Recurrent sequences and the ring $R_0(x)$ of fractions; 3.4.3 Eventually periodic sequences and the ring E ; 3.4.4 When R is a field; 3.4.5 $R[[x]]$ as an inverse limit; 3.4.6 Reciprocal Laurent series; 3.5 Generating functions; 3.6 When the connection polynomial factors 3.7 Algebraic models and the ring $R[x]/(q)$ 3.7.1 Abstract representation; 3.7.2 Trace representation; 3.8 Families of recurring sequences and ideals; 3.8.1 Families of recurring sequences over a finite field; 3.8.2 Families of linearly recurring sequences over a ring; 3.9 Examples; 3.9.1 Shift registers over a field; 3.9.2 Fibonacci numbers; 3.10 Exercises; 4: Feedback with carry shift registers and multiply with carry sequences; 4.1 Definitions; 4.2 N -adic numbers; 4.2.1 Basic facts; 4.2.2 The ring \mathbb{Q}_N ; 4.2.3 The ring $\mathbb{Z}_N, 0$; 4.2.4 \mathbb{Z}_N as an inverse limit; 4.2.5 Structure of \mathbb{Z}_N 4.3 Analysis of FCSRs 4.4 Initial loading; 4.5 Representation of FCSR sequences; 4.6 Example: $q=37$; 4.7 Memory requirements; 4.8 Random number generation using MWC; 4.8.1 MWC generators; 4.8.2 Periodic states; 4.8.3 Memory requirements; 4.8.4 Finding good multipliers; 4.9 Exercises; 5: Algebraic feedback shift registers; 5.1 Definitions; 5.2 -adic numbers; 5.2.1 Construction of R ; 5.2.2 Divisibility in R ; 5.2.3 The example of $d = N$; 5.3 Properties of AFSRs; 5.4 Memory requirements; 5.4.1 AFSRs over number fields; 5.4.2 AFSRs over rational function fields 6.5 Elementary description of d -FCSR sequences

Sommario/riassunto

Pseudo-random sequences are essential ingredients of every modern digital communication system including cellular telephones, GPS, secure internet transactions and satellite imagery. Each application requires pseudo-random sequences with specific statistical properties. This book describes the design, mathematical analysis and implementation of pseudo-random sequences, particularly those generated by shift registers and related architectures such as feedback-with-carry shift registers. The earlier chapters may be used as a textbook in an advanced undergraduate mathematics course or a graduate electrical engineering course; the more advanced chapters provide a reference work for researchers in the field. Background material from algebra, beginning with elementary group theory, is provided in an appendix.
