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Sommario/riassunto	If \mathcal{M} is a space of scalar-valued sequences, then a series $\sum x_j$ in a topological vector space X is \mathcal{M} -multiplier convergent if the series $\sum x_j = 18$

$\sum t_j x_j$ converges in X for every $\{t_j\} \in \ell_1$. This monograph studies properties of such series and gives applications to topics in locally convex spaces and vector-valued measures. A number of versions of the Orlicz-Pettis theorem are derived for multiplier convergent series with respect to various locally convex topologies. Variants of the classical Hahn-Schur theorem on the equivalence of weak and norm convergent series in ℓ_1 are also developed for multipliers.
