Record Nr.	UNINA9910454838303321
Titolo	Topics in classical analysis and applications in honor of Daniel Waterman [[electronic resource] /] / editors, Laura De Carli, Kazaros Kazarian, Mario Milman
Pubbl/distr/stampa	Hackensack, N.J., : World Scientific, c2008
ISBN	981-283-444-3
Descrizione fisica	1 online resource (204 p.)
Altri autori (Persone)	De CarliLaura <1962-> KazarianKazaros MilmanMario WatermanDaniel
Disciplina	515
Soggetti	Mathematical analysis Functional analysis Fourier series Orthogonal polynomials Electronic books.
Lingua di pubblicazione	Inglese
Lingua di pubblicazione Formato	Inglese Materiale a stampa
Lingua di pubblicazione Formato Livello bibliografico	Inglese Materiale a stampa Monografia
Lingua di pubblicazione Formato Livello bibliografico Note generali	Inglese Materiale a stampa Monografia Description based upon print version of record.
Lingua di pubblicazione Formato Livello bibliografico Note generali Nota di bibliografia	Inglese Materiale a stampa Monografia Description based upon print version of record. Includes bibliographical references and index.

1.

	Variants of a Selection Principle for Sequences of Regulated and Non- Regulated Functions V. V. Chistyakov, C. Maniscalco, Y. V. Tretyachenko 1. Regulated Functions and Selection Principles2. Main Results; 3. Properties of N(, f, T) for Metric Space Valued Functions; 4. Functions with Values in a Metric Space: Proofs; 5. Functions with Values in a Metric Semigroup; 6. Functions with Values in a Re.exive Separable Banach Space; Acknowledgments; References; Local Lp Inequalities for Gegenbauer Polynomials L. De Carli; 1. Introduction; 2. Preliminaries; 2.1. Four useful Lemmas; 3. Most of the Proofs; References; General Monotone Sequences and Convergence of Trigonometric Series M. Dyachenko, S. Tikhonov; 1. Introduction 2. Uniform and Lp-Convergence3. Convergence Almost Everywhere: One-Dimensional Series; 4. Convergence Almost Everywhere: One-Dimensional Series; 4. Convergence Almost Everywhere: One-Dimensional Series; 4. Convergence Almost Everywhere: Multiple Series; 5. Concluding Remarks; Acknowledgments; References; Using Integrals of Squares of Certain Real-Valued Special Functionsto Prove that the P olya (z) Function, the Functions Kiz(a), a > 0,and Some Other Entire Functions Having Only Real ZerosG. Gasper; 1. Introduction; 2. Reality of the Zeros of the Functions Kiz(a) When a > 0; 3. Reality of the Zeros of the Functions (z) and Fa,c(z); Acknowledgment; References Functions Whose Moments Form a Geometric Progression M. E. H. Ismail, X. Li1. Introduction; 2. Proofs; References; Characterization of Scaling Functions in a Frame MultiresolutionAnalysis in H2GK. S. Kazarian, A. San Antol n; 1. Introduction; 2. Spaces H2G; 2.1. A- invariant sets; 3. Characterization of Scaling Functions of an FMRA in H2G; 3.1. Definitions and Preliminary results; 3.2. Characterization of scaling functions of an H2G -FMRA and other cases; 4. On the Existence of H2G -MRA and H2G -FMRA; References; An Abstract Coifman-Rochberg-Weiss Commutator Theorem J. Martin, M. Milman 1. Introduction
Sommario/riassunto	This book covers a wide range of topics, from orthogonal polynomials to wavelets. It contains several high-quality research papers by prominent experts exploring trends in function theory, orthogonal polynomials, Fourier series, approximation theory, theory of wavelets and applications. The book provides an up-to-date presentation of several important topics in Classical and Modern Analysis. The interested reader will also be able to find stimulating open problems and suggestions for future research.