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; 4. Interval exchanges and conclusion ;
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Sommario/riassunto

The theory of \mathbb{R} -trees has its origin in the work of Lyndon on length functions in groups. The first definition of an \mathbb{R} -tree was given by Tits in 1977. The importance of \mathbb{R} -trees was established by Morgan and Shalen, who showed how to compactify a generalisation of Teichmüller space for a finitely generated group using \mathbb{R} -trees. In that work they were led to define the idea of a \mathbb{R} -tree, where A is an arbitrary ordered abelian group. Since then there has been much progress in understanding the structure of groups acting on \mathbb{R} -trees, notably Rips' theorem on free actions. There
