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Pubbl/distr/stampa	Singapore ; ; River Edge, N.J., : World Scientific, c2001
ISBN	1-281-93455-0 9786611934552 981-279-461-1
Descrizione fisica	1 online resource (496 p.)
Altri autori (Persone)	AccardiL <1947-> (Luigi)
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Soggetti	Stochastic processes Probabilities Electronic books.
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
Note generali	Description based upon print version of record.
Nota di bibliografia	Includes bibliographical references.
Nota di contenuto	<ul> <li>Preface; Contents; I. General Theory of White Noise Punctionals; [1]</li> <li>Analysis of Brownian Functionals; [2] Quadratic Functionals of Brownian</li> <li>Motion; [3] Generalized Brownian Functionals; [4] The Role of</li> <li>Exponential Functions in the Analysis of Generalized Brownian</li> <li>Functionals; [5] Causal Calculus and An Application to Prediction</li> <li>Theory; [6] Generalized Gaussian Measures; [7] The Impact of Classical</li> <li>Functional Analysis on White Noise Calculus; II. Gaussian and Other</li> <li>Processes; [8] Canonical Representations of Gaussian Processes and</li> <li>Their Applications</li> <li>[9] Analysis on Hilbert Space with Reproducing Kernel Arising from</li> <li>Multiple Wiener Integral[10] The Square of a Gaussian Markov Process</li> <li>and Nonlinear Prediction; III. Infinite Dimensional Harmonic Analysis</li> <li>and Rotation Group; [11] Sur l'invariance Projective pour les Processus</li> <li>Symetriques Stables; [12] Note on the Infinite Dimensional Laplacian</li> <li>Operator; [13] L'analyse Harmonique sur l'espace des Fonctions</li> <li>Generalisees; [14] Conformal Invariance of White Noise; [15]</li> <li>Transformations for White Noise Functionals; [16] On Projective</li> <li>Invariance of Brownian Motion</li> <li>[17] Infinite Dimensional Rotations and Laplacians in Terms of White</li> </ul>

1.

	<ul> <li>Noise Calculus[18] Infinite Dimensional Rotation Group and White Noise Analysis; IV. Quantum Theory; [19] On Quantum Theory in Terms of White Noise; [20] White Noise Analysis and Its Applications to Quantum Dynamics; [21] Boson Fock Representations of Stochastic Processes; V. Feynman Integrals and Random Fields; [22] Generalized Brownian Functionals and the Feynman Integral; [23] Dirichlet Forms and White Noise Analysis; [24] Dirichlet Forms in Terms of White Noise Analysis I: Construction and QFT Examples</li> <li>[25] Dirichlet Forms in Terms of White Noise Analysis II: Closability and Diffusion ProcessesVI. Variational Calculus and Random Fields; [26] Multidimensional Parameter White Noise and Gaussian Random Fields;</li> <li>[27] A Note on Generalized Gaussian Random Fields; [28] White Noise and Stochastic Variational Calculus for Gaussian Random Fields; [29] Variational Calculus for Gaussian Random Fields; [29] Variational Calculus for Gaussian Random Fields; [20] Nariational Calculus for Gaussian Random Fields; [20] Comments on [6] [8] [10] [27] and [29] Comments on [6] [8] [10] [27] and [29] Comments on [9] [11] [14] [16] [17] and [18]Comments on [11] [2] [4] and [5]; Comments on [12] [13] [16] and [17]; Comments on [15] and [31]; Comments on [26] [28] and [30]; Comments on [20] [22] [23] [24] and [25]; My Mathematical Journey; List of Publications</li> </ul>
Sommario/riassunto	The topics discussed in this book can be classified into three parts:. (i) Gaussian processes. The most general and in fact final representation theory of Gaussian processes is included in this book. This theory is still referred to often and its developments are discussed. (ii) White noise analysis. This book includes the notes of the series of lectures delivered in 1975 at Carleton University in Ottawa. They describe the very original idea of introducing the notion of generalized Brownian functionals (nowadays called "generalized white noise functionals", and sometimes "Hida distribution". (