1. Record Nr. UNISA990001940620203316

Autore	DANDOLO, Andrea
Titolo	12.1 Andreae Danduli ducis venetiarum Chronica per extensum descripta : aa. 46-1280 d.C. / a cura di Ester Pastorello
Pubbl/distr/stampa	Bologna, : Zanichelli, 1938-1958
Descrizione fisica	CXI, 405 p. ; 30 cm
Collocazione	XI A Coll. 12/12 I
Lingua di pubblicazione	Italiano
Formato	Materiale a stampa
Livello bibliografico	Monografia

2. Record Nr. UNINA9910444452703321

Autore	Maccone Claudio
Titolo	Evo-seti : life evolution statistics on earth and exoplanets. / / Claudio Maccone
Pubbl/distr/stampa	Cham, Switzerland : , : Springer, , [2020] ©2020
ISBN	3-030-51931-7
Descrizione fisica	1 online resource (lvii, 837 pages) : illustrations
Disciplina	576.839
Soggetti	Exobiology
Lingua di pubblicazione	Inglese
Formato	Materiale a stampa
Livello bibliografico	Monografia
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to the Evo-Entropy Reached by Life Evolution on Earth Nowadays -- 5
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-- 2.8 L(t) Final Conditions at te &gt -- ts -- 2.9 Important Special
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