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Nota di contenuto	Chapter 1 Elements of Vector Calculus 1.1 Vector Functions of Real Variables 1.2 Limits of vector Functions 1.3 Derivatives of Vector Functions 1.3.1 Geometrie Interpretation 1.4 Integrals of Vector Functions 1.5 The Formal Operator Nabla, 1.5.1 in Polar Coordinates 1.5.2 in Cylindrical Coordinates 1.6 The Divergence Operator 1.7 The Curl Operator 1.8 Divergence and Curl by Means of 1.8.1 Spherical Polar Coordinates 1.8.2 Cylindrieal Coordinates 1.9 Vector Fields 1.9.1 Field Lines 1.10 Divergence Theorem 1.10.1 Velocity Fields 1.10.2 Continuity Equation 1.10.3 Field Lines of Solenoidal Fields Chapter 2 Potential Theory Discrete mass distributions 2.1 Single particle gravitational potential 2.2 The gravitating N body case 2.3 Mechanical Energy of the N bodies 2.4 The Scalar Virial Theorem

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Sommario/riassunto

Subsequent chapters discuss the general case of non-symmetric mass density distribution and develop classical potential theory, with elements of harmonic theory, which is essential to understand the potential development in series of the gravitational potential, the subject of the fourth chapter. Finally, in the last chapter the specific case of motion of a satellite around the earth is considered. Examples and exercises are presented throughout the book to clarify aspects of the theory. The book is aimed at those who wish to progress further beyond an initial bachelor degree, onward to a master degree, and a PhD. It is also a valuable resource for postgraduates and active researchers in the field.