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	Soggetti	Partial differential equations Probabilities Mathematical physics Calculus of variations
		Partial Differential Equations
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	Nota di contenuto	Preface Assumptions and examples Frequently asked questions Notation Introduction and qualitative theory Convergence of the subadditive quantities Regularity on large scales Quantitative description of first-order correctors Scaling limits of first-order correctors Quantitative two-scale expansions Calderon-Zygmund gradient L^p estimates Estimates for parabolic problems Decay of the parabolic semigroup Linear equations with nonsymmetric coefficients Nonlinear equations Appendices: A.The O_s notation B.Function spaces and elliptic equations on Lipschitz domains C. The Meyers L^{2+\delta} estimate D. Sobolev norms and heat flow Parabolic Green functions Bibliography Index.
	Sommario/riassunto	The focus of this book is the large-scale statistical behavior of solutions of divergence-form elliptic equations with random

coefficients, which is closely related to the long-time asymptotics of reversible diffusions in random media and other basic models of statistical physics. Of particular interest is the quantification of the rate at which solutions converge to those of the limiting, homogenized equation in the regime of large scale separation, and the description of their fluctuations around this limit. This self-contained presentation gives a complete account of the essential ideas and fundamental results of this new theory of quantitative stochastic homogenization, including the latest research on the topic, and is supplemented with many new results. The book serves as an introduction to the subject for advanced graduate students and researchers working in partial differential equations, statistical physics, probability and related fields, as well as a comprehensive reference for experts in homogenization. Being the first text concerned primarily with stochastic (as opposed to periodic) homogenization and which focuses on quantitative results, its perspective and approach are entirely different from other books in the literature. .