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Soggetti	Combinatorial analysis Matrix theory Algebra Number theory Information theory Combinatorics Linear and Multilinear Algebras, Matrix Theory Number Theory Information and Communication, Circuits
Lingua di pubblicazione	Inglese
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Note generali	Description based upon print version of record.
Nota di bibliografia	Includes bibliographical references at the end of each chapters.
Nota di contenuto	On (1, 1)-matrices of skew type with the maximal determinants and tournaments On good matrices and skew Hadamard matrices Suitable permutations, binary covering arrays, and Paley matrices Divisible design digraphs New symmetric (61,16,4) designs obtained from codes D-optimal matrices of orders 118, 138, 150, 154 and 174 Periodic Golay pairs of length 72 Classifying cocyclic Butson

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	Trades in complex Hadamard matrices The hunt for weighting matrices of small orders Menon–Hadamard difference sets obtained from a local field by natural projections BIRS Workshop 14w2199 July 11–13, 2014 Problem Solving Session.
Sommario/riassunto	This volume develops the depth and breadth of the mathematics underlying the construction and analysis of Hadamard matrices and their use in the construction of combinatorial designs. At the same time, it pursues current research in their numerous applications in security and cryptography, quantum information, and communications. Bridges among diverse mathematical threads and extensive applications make this an invaluable source for understanding both the current state of the art and future directions. The existence of Hadamard matrices remains one of the most challenging open questions in combinatorics. Substantial progress on their existence has resulted from advances in algebraic design theory using deep connections with linear algebra, abstract algebra, finite geometry, number theory, and combinatorics. Hadamard matrices arise in a very diverse set of applications. Starting with applications in experimental design theory and the theory of error-correcting codes, they have found unexpected and important applications in cryptography, quantum information theory, communications, and networking.