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Sommario/riassunto	In this book Professor Lusztig solves an interesting problem by entirely new methods: specifically, the use of cohomology of buildings and related complexes. The book gives an explicit construction of one distinguished member, $D(V)$ , of the discrete series of $GL_n(F_q)$ , where $V$ is the $n$ -dimensional $F$ -vector space on which $GL_n(F_q)$ acts. This is a $p$ -adic representation; more precisely $D(V)$ is a free module of rank $(q-1)(q^2-1)\dots(q^{n-1}-1)$ over the ring of Witt vectors $WF$ of $F$ . In Chapter 1 the author studies the homology of partially ordered sets, and proves some vanishing theorems for the homology of some partially ordered sets associated to geometric structures. Chapter 2 is a study of the representation of the affine group over a finite field. In Chapter 3 $D(V)$ is defined, and its restriction to parabolic subgroups is determined. In Chapter 4 the author computes the character of $D(V)$ , and shows how

to obtain other members of the discrete series by applying Galois automorphisms to  $D(V)$ . Applications are in Chapter 5. As one of the main applications of his study the author gives a precise analysis of a Brauer lifting of the standard representation of  $GL_n(F_q)$ .

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