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""7.2. The one variable case""; ""7.3. Constructions of deformations"";  
""7.4. Deformation theorem""; ""7.5. Remarks""; ""Chapter 8. Blumberg's  
Theorem""; ""8.1. Blumberg's theorem for metric spaces""; ""8.2. Non-  
Blumberg Baire spaces""; ""8.3. Homeomorphism analogues""; ""Part 3.  
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""Chapter 10. Preservation of Convergence of Fourier Series""; ""10.1.  
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Absolutely measurable functions""; ""11.2. Convergence of Fourier  
series after change of variable""  
""11.3. Functions of generalized bounded variation""""11.4.  
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""Appendix A. Supplementary Material""; ""Sets, Functions and  
Measures""; ""A.1. Baire, Borel and Lebesgue""; ""A.2. Lipschitzian  
functions""; ""A.3. Bounded variation""; ""Approximate Continuity""; ""A.  
4. Density topology""; ""A.5. Approximately continuous maps into  
metric spaces""; ""Hausdorff Measure and Packing""; ""A.6. Hausdorff  
dimension""; ""A.7. Hausdorff packing""; ""Nonparametric Length and  
Area""; ""A.8. Nonparametric length""; ""A.9. Schwarz's example""  
""A.10. Lebesgue's lower semicontinuous area""

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