Record Nr. UNINA9910144601603321 Autore Gabber Ofer Titolo Almost Ring Theory / / by Ofer Gabber, Lorenzo Ramero Berlin, Heidelberg:,: Springer Berlin Heidelberg:,: Imprint: Springer, Pubbl/distr/stampa 2003 3-540-45096-3 **ISBN** Edizione [1st ed. 2003.] Descrizione fisica 1 online resource (VI, 318 p.) Collana Lecture Notes in Mathematics, , 0075-8434; ; 1800 Disciplina 510 Soggetti Algebra Commutative algebra Commutative rings Algebraic geometry Category theory (Mathematics) Homological algebra Field theory (Physics) Commutative Rings and Algebras Algebraic Geometry Category Theory, Homological Algebra Field Theory and Polynomials Lingua di pubblicazione Inglese **Formato** Materiale a stampa Livello bibliografico Monografia Bibliographic Level Mode of Issuance: Monograph Note generali Nota di bibliografia Includes bibliographical references and index. Nota di contenuto Introduction -- Homological Theory -- Almost Ring Theory -- Fine Study of Almost Projective Modules -- Henselian Pairs -- Valuation Theory -- Analytic Geometry -- Appendix -- References -- Index. This book develops thorough and complete foundations for the method Sommario/riassunto of almost etale extensions, which is at the basis of Faltings' approach to p-adic Hodge theory. The central notion is that of an "almost ring". Almost rings are the commutative unitary monoids in a tensor category obtained as a quotient V-Mod/S of the category V-Mod of modules over a fixed ring V; the subcategory S consists of all modules annihilated by a fixed ideal m of V, satisfying certain natural conditions. The reader is assumed to be familiar with general

categorical notions, some basic commutative algebra and some

advanced homological algebra (derived categories, simplicial methods). Apart from these general prerequisites, the text is as self-contained as possible. One novel feature of the book - compared with Faltings' earlier treatment - is the systematic exploitation of the cotangent complex, especially for the study of deformations of almost algebras.