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Autore	Aubin Jean Pierre
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Nota di contenuto	APPLIED FUNCTIONAL ANALYSIS; CONTENTS; Preface; Introduction: A Guide to the Reader; 1. The Projection Theorem; 1.1. Definition of a Hilbert Space; 1.2. Review of Continuous Linear and Bilinear Operators; 1.3. Extension of Continuous Linear and Bilinear Operators by Density; 1.4. The Best Approximation Theorem; 1.5. Orthogonal Projectors; 1.6. Closed Subspaces, Quotient Spaces, and Finite Products of Hilbert Spaces; *1.7. Orthogonal Bases for a Separable Hilbert Space; 2. Theorems on Extension and Separation; 2.1. Extension of Continuous Linear and Bilinear Operators; 2.2. A Density Criterion 2.3. Separation Theorems2.4. A Separation Theorem in Finite Dimensional Spaces; 2.5. Support Functions; *2.6. The Duality Theorem in Convex Optimization; *2.7. Von Neumann's Minimax Theorem; *2.8. Characterization of Pareto Optima; 3. Dual Spaces and Transposed Operators; 3.1. The Dual of a Hilbert Space; 3.2. Realization of the Dual of a Hilbert Space; 3.3. Transposition of Operators; 3.4. Transposition of Injective Operators; 3.5. Duals of Finite Products, Quotient Spaces, and Closed or Dense Subspaces; 3.6. The Theorem of Lax-Milgram; *3. 7. Variational Inequalities

\*3.8. Noncooperative Equilibria in n-Person Quadratic Games  
 4. The Banach Theorem and the Banach-Steinhaus Theorem; 4.1. Properties of Bounded Sets of Operators; 4.2. The Mean Ergodic Theorem; 4.3. The Banach Theorem; 4.4. The Closed Range Theorem; 4.5. Characterization of Left Invertible Operators; 4.6. Characterization of Right Invertible Operators; \*4.7. Quadratic Programming with Linear Constraints; 5. Construction of Hilbert Spaces; 5.1. The Initial Scalar Product; 5.2. The Final Scalar Product; 5.3. Normal Subspaces of a Pivot Space  
 5.4. Minimal and Maximal Domains of a Closed Family of Operators\*5.5. Unbounded Operators and Their Adjoints; \*5.6. Completion of a Pre-Hilbert Space Contained in a Hilbert Space; \*5.7. Hausdorff Completion; \*5.8. The Hilbert Sum of Hilbert Spaces; \*5.9. Reproducing Kernels of a Hilbert Space of Functions 1; 6. L<sup>2</sup> Spaces and Convolution Operators; 6.1. The Space L<sup>2</sup>( $\Omega$ ) of Square Integrable Functions; 6.2. The Spaces L<sup>2</sup>( $\Omega$ ,  $\mu$ ) with Weights; 6.3. The Space H<sup>s</sup>; 6.4. The Convolution Product for Functions of L<sup>0</sup>( $\mathbb{R}^n$ ) and of L<sup>1</sup>( $\mathbb{R}^n$ ); 6.5. Convolution Operators; 6.6. Approximation by Convolution  
 \*6.7. Example. Convolution Power for Characteristic Functions\*6.8. Example. Convolution Product for Polynomials: Appell Polynomials; 7. Sobolev Spaces of Functions of One Variable; 7.1. The Space H<sup>0</sup><sub>m</sub>( $\Omega$ ) and Its Dual H<sup>-m</sup>( $\Omega$ ); 7.2. Definition of Distributions; 7.3. Differentiation of Distributions; 7.4. Relations Between H<sup>0</sup><sub>m</sub>( $\Omega$ ) and H<sup>0</sup><sub>m</sub>( $\mathbb{R}^n$ ); 7.5. The Sobolev Space H<sub>m</sub>( $\Omega$ ); 7.6. Relations Between H<sub>m</sub>( $\Omega$ ) and H<sub>m</sub>( $\mathbb{R}^n$ ); \*7.7. Characterization of the Dual of H<sub>m</sub>( $\Omega$ ); 7.8. Trace Theorems; 7.9. Convolution of Distributions; 8. Some Approximation Procedures in Spaces of Functions  
 8.1. Approximation by Orthogonal Polynomials

## Sommario/riassunto

A novel, practical introduction to functional analysis  
 In the twenty years since the first edition of Applied Functional Analysis was published, there has been an explosion in the number of books on functional analysis. Yet none of these offers the unique perspective of this new edition. Jean-Pierre Aubin updates his popular reference on functional analysis with new insights and recent discoveries-adding three new chapters on set-valued analysis and convex analysis, viability kernels and capture basins, and first-order partial differential equations. He presents, for the first time at a

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