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 3.3 Center-Manifold Reduction 3.4 Local Bifurcations; 3.4.1 Fold or
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 3.4.3 Pitchfork Bifurcation; 3.4.4 Flip or Period-Doubling Bifurcation;
 3.4.5 Hopf or Neimark-Sacker Bifurcation; 3.5 Exercises; 4 Bifurcations
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 7.2.3 The Case of Near $2+1$ and $3-2$

Sommario/riassunto

Based on a successful text, this second edition presents different
 concepts from dynamical systems theory and nonlinear dynamics. The
 introductory text systematically introduces models and techniques and
 states the relevant ranges of validity and applicability. New to this
 edition: 3 new chapters dedicated to Maps, Bifurcations of Continuous
 Systems, and Retarded Systems Key features: Retarded Systems has
 become a topic of major importance in several applications, in
 mechanics and other areas Provides a clear operational framework for
 conscious use of co
