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Autore	Dell'Aquila, Vittorio
Titolo	La pianificazione linguistica : lingue, società e istituzioni / Vittorio Dell'Aquila, Gabriele Iannàccaro
Pubbl/distr/stampa	Roma, : Carocci, 2004
ISBN	88-430-2883-9
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Collana	Università , Linguistica ; 555
Altri autori (Persone)	Iannaccàro, Gabriele
Disciplina	306.44
Locazione	FLFBC
Collocazione	404.4 DELL 1
Lingua di pubblicazione	Italiano
Formato	Materiale a stampa
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Autore	Shima Hirohiko
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Pubbl/distr/stampa	Singapore ; ; Hackensack, N.J., : World Scientific, c2007
ISBN	1-281-12108-8 9786611121082 981-270-753-0
Descrizione fisica	1 online resource (261 p.)
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Soggetti	Geometry, Differential Homology theory Homogeneous spaces Manifolds (Mathematics)
Lingua di pubblicazione	Inglese
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Note generali	Description based upon print version of record.
Nota di bibliografia	Includes bibliographical references (p. 237-241) and index.
Nota di contenuto	Preface; Introduction; Contents; 1. Affine spaces and connections; 2. Hessian structures; 3. Curvatures for Hessian structures; 4. Regular convex cones; 5. Hessian structures and affine differential geometry; 6. Hessian structures and information geometry; 7. Cohomology on at manifolds; 8. Compact Hessian manifolds; 9. Symmetric spaces with invariant Hessian structures; 10. Homogeneous spaces with invariant Hessian structures; 11. Homogeneous spaces with invariant projectively at connections; Bibliography; Index
Sommario/riassunto	The geometry of Hessian structures is a fascinating emerging field of research. It is in particular a very close relative of Kahlerian geometry, and connected with many important pure mathematical branches such as affine differential geometry, homogeneous spaces and cohomology. The theory also finds deep relation to information geometry in applied mathematics. This systematic introduction to the subject first develops the fundamentals of Hessian structures on the basis of a certain pair of a flat connection and a Riemannian metric, and then describes these related fields as applications of the