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| 1. Record Nr.           | UNINA990001021400403321                                 |
| Autore                  | Lang, Serge   |
| Titolo                  | Introduction to algebraic geometry / Serge Lang         |
| Pubbl/distr/stampa      | New York : Interscience, 1958                           |
| Collana                 | Interscience Tracts in Pure and Applied Mathematics ; 5 |
| Disciplina              | 513   |
| Locazione               | FI1   |
| Collocazione            | 11-004F   |
| Lingua di pubblicazione | Inglese   |
| Formato                 | Materiale a stampa                                      |
| Livello bibliografico   | Monografia  |
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| 2. Record Nr.           | UNINA9910151935803321  |
| Autore                  | Haroske Dorothee D.  |
| Titolo                  | Distributions, Sobolev Spaces, Elliptic Equations [[electronic resource] ]/<br>/ Dorothee D. Haroske, Hans Triebel |
| Pubbl/distr/stampa      | Zuerich, Switzerland, : European Mathematical Society Publishing<br>House, 2007                                    |
| ISBN                    | 3-03719-542-8  |
| Descrizione fisica      | 1 online resource (303 pages)  |
| Collana                 | EMS Textbooks in Mathematics (ETB)   |
| Classificazione         | 35-xx46-xx   |
| Soggetti                | Differential equations<br>Partial differential equations<br>Functional analysis                                    |
| Lingua di pubblicazione | Inglese  |
| Formato                 | Materiale a stampa   |
| Livello bibliografico   | Monografia   |
| Sommario/riassunto      | It is the main aim of this book to develop at an accessible, moderate  |

level an  $L^2$  theory for elliptic differential operators of second order on bounded smooth domains in Euclidean  $n$ -space, including a priori estimates for boundary-value problems in terms of (fractional) Sobolev spaces on domains and on their boundaries, together with a related spectral theory. The presentation is preceded by an introduction to the classical theory for the Laplace-Poisson equation, and some chapters providing required ingredients such as the theory of distributions, Sobolev spaces and the spectral theory in Hilbert spaces. The book grew out of two-semester courses the authors have given several times over a period of ten years at the Friedrich Schiller University of Jena. It is addressed to graduate students and mathematicians who have a working knowledge of calculus, measure theory and the basic elements of functional analysis (as usually covered by undergraduate courses) and who are seeking an accessible introduction to some aspects of the theory of function spaces and its applications to elliptic equations.

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